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Reg No.:

Name:

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Duration: 3 Hours

APJ ABDUL KALAM TECHNOLOGICAL UNIVERSITY

Sixth Semester B.Tech Degree Regular and Supplementary Examination bal

Course Code: EE304

Course Name: ADVANCED CONTROL THEORY

Max. Marks: 100

PART A Marks Answer all questions, each carries 5 marks. Sketch the realisation of a phase lead compensator and derive its transfer (5)function. Identify the dominant poles of the unity feedback system with open loop (5)transfer function $G(s) = \frac{168}{(s+2)(s+5)(s+15)}$. Compute the solution to the state equation $\dot{x} = \begin{bmatrix} -1 & 0 \\ 0 & -2 \end{bmatrix} x$, $x(0) = \begin{bmatrix} 1 \\ 1 \end{bmatrix}$ (5) Sketch the block schematic of a system controlled by a digital controller and (5)list the additional components that appears in a system with digital controller. (5)Distinguish between inherent and intentional nonlinearities. Give examples Define describing function? What is the assumption that makes the application (5) of describing function analysis? (5) List the characteristics that are observed in nonlinear system. Identify the equilibrium points for the system $\dot{x_1} = x_2$, $\dot{x_2} = -0.5x_2 - 100$ (5) $sin(x_1)$. PART B

Answer any two full questions, each carries 10 marks.

Design a suitable compensator for the unity feedback system with transfer (10) function $G(s) = \frac{1}{s(s+1)}$ to satisfy the following specifications so that the gain cross over frequency is approximately 1 rad/s. Velocity error constant atleast 10s⁻¹. Phase margin greater than 40°.

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Design a suitable compensator for the system $G(s) = \frac{3}{s(s+3)}$ to achieve an (10) overshoot less than 20%, settling time less than 1.5s for unit step input. Velocity error constant atleast 5s⁻¹.

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11	a)	Design a P, PI and PID controller for the system with transfer function	(6)
	ł	$G(s) = \frac{20}{s(s+2)(s+10)}$ by applying Zeigler-Nichols tuning method.	
	b)	Draw the realisation of PID controller and explain its working.	(4)
		PART C	
10		Answer any two full questions, each carries 10 marks.	(5)
12	a)	Convert the system $\dot{x} = \begin{bmatrix} -1 & 0 \\ 0 & -2 \end{bmatrix} x + \begin{bmatrix} 1 \\ 2 \end{bmatrix} u, y = \begin{bmatrix} 1 & 1 \end{bmatrix} x$ into controllable	(5)
×,	2	cannonical form by applying similarity transformation.	
	b)	Determine the stability of the system $\dot{x} = \begin{bmatrix} -3 & 7 & 9 \\ 2 & 1 & 3 \\ -4 & -3 & -8 \end{bmatrix} x + \begin{bmatrix} 1 \\ 2 \\ 3 \end{bmatrix} u, y = \begin{bmatrix} -3 & -3 \\ 2 \\ 3 \end{bmatrix} x + \begin{bmatrix} 1 \\ 2 \\ 3 \end{bmatrix} u$	(5)
		$[1 \ 1 \ 0]x.$	
13	a)	Design a state feedback controller for the system $\dot{x} = \begin{bmatrix} 1 & 1 \\ 2 & 2 \end{bmatrix} x + \begin{bmatrix} 1 \\ 0 \end{bmatrix} u$, $y =$	(5)
		$\begin{bmatrix} 0 \\ 1 \end{bmatrix} x$ to place the eigen values of the closed loop system matrix at $-2\pm j2$.	
	b)	Derive the transfer function of the system $\dot{x} = \begin{bmatrix} -1 & 1 \\ -3 & -2 \end{bmatrix} x + \begin{bmatrix} 1 \\ 0 \end{bmatrix} u, y =$	(5)
		$\begin{bmatrix} 0 & 1 \end{bmatrix} x$ when the initial state of the system is zero.	
14	a)	Determine the stability of the system with characteristic equation z^4 +	(6)
		$0.6z^3 + 0.63z^2 - 0.37z + 0.065 = 0$	
	b)	Write the structure of state space representation of an n th ordered SISO system	(4)
		in digital domain and specify the dimensions of each matrix.	
		PART D	
15		Answer any two full questions, each carries 10 marks. Identify the stability of limit cycle exhibited by the unity feedback system with	(10)
į.		forward transfer function $G(s) = \frac{100}{s(s+2)(s+5)}$ when controlled by an	
		amplifier (P-controller) having gain 2 and it saturates when its output reaches	
		± 2 . Also determine the frequency and approximate amplitude of limit cycle.	
16		Sketch the phase trajectory for the system $\dot{x_1} = x_2$, $\dot{x_2} = u$, where $u = -x_1 $	(10)
		starting from (0,1).	
17		Apply lyapunov stability to determine the stability of the autonomous	(10)
		system $\dot{x} = \begin{bmatrix} 5 & -12 \\ 7 & -14 \end{bmatrix} x$	

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