D	51	C	40	
IJ	OI	O ⁴	ŁZ	

(Pages : 2)

	110	á69.	U Oyly	1	
	112	EDU	CAF	11.33	1
	15/3	3/5/	01	161	10
	12/3/	\sight \ \(\begin{align*} \sight \sight \equiv \left \left \left \text{\left \left \text{\left \left \text{\left \left \text{\left \text{ \text{\left \text{\left \text{ \text{\left \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \text{ \qqq \qq \qq	7 - \	そ 一一	
	コド	ました	Pro.	Rus	
	1 * 1 3	Ve A	XX	5/3	ļi,
	II all	givi	IGh L	1771	1
N	11 3	Coc	Valence of	- //	121
Name		THE WAY	ITH	11/1	<i>X</i>
D . M		Ton			
Reg. No	•••••		•••••		

FIFTH SEMESTER B.TECH. (ENGINEERING) DEGREE EXAMINATION DECEMBER 2008

CS 04 506—THEORY OF COMPUTATION

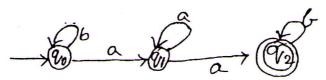
(2004 admissions)

Time: Three Hours

Maximum: 100 Marks

Answer all the questions.

I. (a) Define a regular expression. Find the regular expression for the language accepts by the automata:



- (b) Compare DFA and NDFA.
- (c) Define a PDA. Give an example.
- (d) Show that the family of context-free languages is closed under union.
- (e) Briefly explain the various types of Turing machines.
- (f) Write a short note on Turing machine halting problem.
- (g) What are tractable and intractable problems? Explain with examples.
- (h) What are polynomial time algorithms? Give examples.

 $(8 \times 5 = 40 \text{ marks})$

II. (a) (i) Prove that family of regular languages is closed under intersection.

(7 marks)

(ii) Find minimal DFA for the language $L = \{a^n \ b^m \ | \ n \ge 2, \ m \ge 1\}$.

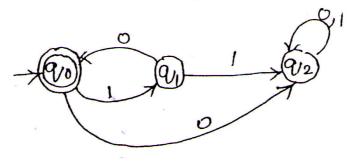
(8 marks)

Or

(b) (i) Let L be a language accepted by NDFA. Prove that there exists a DFA that accepts L.

(9 marks)

(ii) Convert the following NDFA into an equivalent DFA:



(6 marks)

Turn over

III. (a) (i) Construct a PDA to accept the language $L = \{a^n b^n / n \ge 0\}$ by final state. (10 marks)

(ii) Convert the grammar $S \to AB$, $A \to aA/dB/b$, $B \to b$ into Greibach normal form.

(5 marks)

Or

(b) Construct a PDA to accept the language $L = \{w \in \{a,b\}^x \text{ and contains equal number of } a's \text{ and } b's\}$.

(15 marks)

W. (a) Show that the language Ld is neither recursive nor recursively enumerable. (15 r

(15 marks)

Or

(b) Design a Turing machine to recognize the language $L = \{0^n 1^n 0^n / n \ge 1\}$. (15 marks)

V. (a) State the CNF-satisfiability problem. Show that it is an NP-problem.

(15 marks)

Or

(b) State the clique problem. Show that it reduces to the node cover decision problem.

(15 marks)

 $[4 \times 15 = 60 \text{ marks}]$