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H5863

APJ ABDUL KALAM TECHNOLOGICAL UNIVERSITY

FIFTH SEMESTER B.TECH (HONS.) DEGREE EXAMINATION, DECEMBER 2017/18

(Common to 2015 and 2016 admissions)

Name:

Course Code: CS367

Course Name: LOGIC FOR COMPUTER SCIENCE

Max	x. M	arks: 100 Duration: 3	Hours
		PARI A Answer all questions, each carries 3 marks	Marks
1		What is partial interpretation for formula in Propositional Logic?. Give an	(3)
		example.	
2		Define satisfiability, validity and logical consequence of a Propositional Logic	(3)
3		formula. Write the transitivity and contrapositive rule of Hilbert deductive system for	(3
4		Propositional Logic. Give the steps for converting any Propositional Logic formula into CNF form PART B	(3)
		Answer any two full questions, each carries 9 marks.	
5	a)	Write an algorithm to convert tree structure of Propositional Logic formula into	(4)
		string form.	
	b)	Construct a semantic tableaux for (p \cdot q) \cdot (\neg p $^{-} \neg$ q) and decide its validity,	(5)
-		satisfiability.	
6	a)	Prove $\vdash (A \rightarrow B) \rightarrow \lfloor (B \rightarrow C) \rightarrow (A \rightarrow C) \rfloor$ in Hilbert system.	(5)
7	D)	Cive an algorithm to construct computing tableaux for Propositional Logic	(4)
/	a)		(-)
	b)	formula.	(5)
· ·	U)	PART C	(5)
		Answer all questions, each carries 3 marks.	
8		What are the dualities in Predicate Logic ?	(3)
9		Check the truth values of the formula $A=\forall xp(a, x)$ under the	
		Interpretations	(3)
		(i) $I_1 = (N, \{\leq\}, \{0\})$ (ii) $I_2 = (N, \{\leq\}, \{1\})$ (iii) $I_3 = (Z, \{\leq\}, \{0\})$.	
10		Define Herbrand universes. Give one example.	(3)
11		Prove that ground resolution is sound and complete.	(3)
		PART D Answer any two full questions each carries 9 marks	
12	a)	Construct a BDD for $A=p \oplus q \oplus r$ and then reduce it.	(5)
	b)	What is a OBDD ?. How to use OBDD to check $A \models B$?.	(4)
13	a)	Write all the axioms and rules of inference of Hilbert deduction system for	(4)
		Predicate Logic.	

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14	b) a) b)	Write the unification algorithm. What is ground resolution rule ?. What are the issues we encounter while constructing sematic tableaux for	(5) (4) (5)
		Predicate Logic?	
		PART E	
15	a)	If M is a model of K and x is a model proposition, what is the condition for	(4)
	b)	$M \models x$?. Give an example for such model and model proposition. Let $M=(W, R, \Phi)$, where $W=\{u,v,w\}$, $R=\{(u,w),(u,v),(v,v),(v,w),(w,v)\}$, and	
		$\Phi(u)=\{q\}, \Phi(v)=\{p,q\}$ and $\Phi(w)=\{p\}$. Draw the graph of the given model.	
		Which of the following hold ?	(6)
16	a)	$\begin{array}{ll} i) & M \models \Box(p^q) \rightarrow (\Box p^{\neg}\Box q) & \text{ii}) M \models \Box p^{\neg}\Box q \rightarrow \Box(p^q) \\ M=(W,R, \ \varnothing) & \text{be the model with } W=\{w,u\},R=\{(w,u),(u,u)\}, \ \varnothing(w)= \ \varnothing(w,w),(w,w)= \ (w,w),(w,w)= \ (w,w),(w,w)),(w,w)= \ (w,w),(w,w)= \ (w,w),(w,w)),(w,w)= \ (w,w),(w,w)),(w,w)= \ (w,w),(w,w)),(w,w)= \ (w,w),(w,w)),(w,w)= \ (w,w),(w,w)),(w,w)= \ (w,w),$	(5)
		and $\emptyset(u) = \{p\}$ for atomic p. Are the mps P, \Box P, $\Box \Box$ P, $\Box P \rightarrow \Box \Box$	
17	b) a) b)	 P, □□P→P true at the world u ? Define modal proposition, world and model of K List the laws in K. i) Which are axiom schemes and rule of inference of KC ?. 	(5) (5) (5)
18	a)	ii) Also write the rule of regularity in KC. Define partial correctness of a program ? Prove the partial correctness of a	(10)
19	a) b)	sample program. What is state transition diagram?. Explain with an example. Define the deductive system for Linear Temporal Logic and write the derived rules in this system	(5) (5)
20	a) b)	Construct a tableaux and find a model for the negation of $\Box \Diamond p \rightarrow \Diamond \Box p$ Define Linear Temporal Logic. How interpretation is done for an LTL formula	(5) (5)