

APJ ABDUL KALAM TECHNOLOGICAL UNIVERSITY

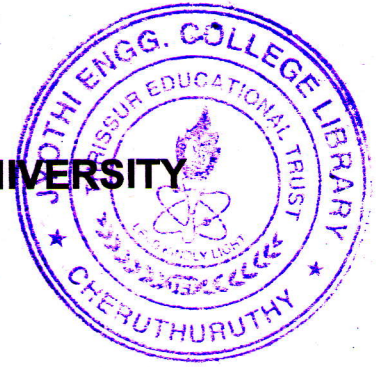
08 PALAKKAD CLUSTER

08EE6252C-1-April18

(pages: 3)

Name:

Reg No:



SECOND SEMESTER M.TECH. DEGREE EXAMINATION MAY 2018

08EE6252 (C)

DIGITAL CONTROL SYSTEMS

Time: 3 hours

Max. marks: 60

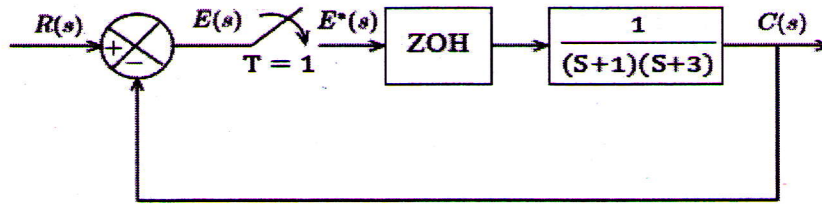
Answer all six questions. Part 'a' of each question is compulsory.

Answer either part 'b' or part 'c' of each question

Q.no.	Module 1	Marks
1.a	Differentiate between direct and standard programming methods.	3
Answer b or c		
b	Consider the equation $x(k+2) - 1.3679x(k+1) + 0.3679x(k) = 0.3679u(k+1) + 0.2642u(k)$ where $x(k)$ is the output and $x(k) = 0$ for $k \leq 0$ and where $u(k)$ is the input and is given by $u(k) = 0, k < 0; \quad u(0) = 1; \quad u(1) = 0.2142; \quad u(2) = -0.2142$ $u(k) = 0, k = 3, 4, 5, \dots$. Determine the output $x(k)$	6
c	Obtain the block diagrams for the following pulse transfer function systems by 1) direct programming 2) standard programming $G(z) = \frac{2 - 0.6z^{-1}}{1 + 0.5z^{-1}}$	6

Q.no.	Module 2	Marks
2.a	Explain the method of stability analysis using bilinear transformation and Routh criteria.	3
Answer b or c		
b	Check the stability of the following system by using Routh Hurwitz criterion $P(z) = z^3 - 1.3z^2 - 0.08z + 0.24 = 0$	6

- c Calculate the steady state errors of unit step and unit ramp inputs for the system shown in Figure. 6



Q.no.

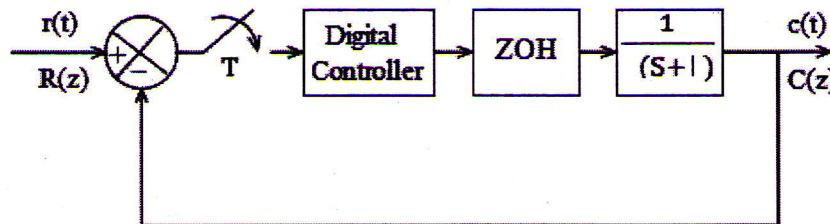
Module 3

Marks

- 3.a Write a short note on Lag and Lead compensator.. 3

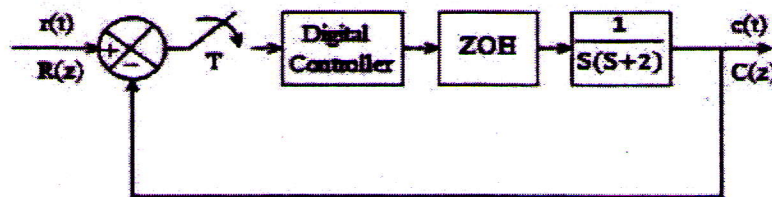
Answer b or c

- b Consider the digital control system shown in figure in the Z plane, design a digital controller such that the dominant closed loop poles have a damping ratio of 0.5 and a settling time of 2 sec. The sampling period is assumed to be 0.2 sec or $T = 0.2$. Obtain the response of the designed digital control system to a unit step. Also obtain the static velocity error constant K_v of the system. 6



- c Design a digital controller for the system shown in figure using root locus method to meet the following specifications. 6

a). $K_v = 2.5$, b). $\zeta = 0.5$, c) $T_s \leq 2$ sec.



Q.no.

Module 4

Marks

- 4.a What are the Canonical form representations of Discrete Time systems. 3

Answer b or c

- b Obtain the diagonal canonical form of representation for the system defined by difference equation $y(k+2) + 3y(k+1) + 2y(k) = 5r(k+1) + 3r(k)$ 6

- c Obtain the state representation of the following transfer function.

6

$$\frac{Y(z)}{U(z)} = \frac{5}{(z+2)^2(z+1)}$$

Also obtain the initial values of state variables in terms of $y(0)$, $y(1)$ and $y(2)$. Also draw a block diagram for the same.

Q.no. Module 5 Marks

- 5.a Derive the solution for the linear Time Invariant Discrete Time state Equation.

4

Answer b or c

- b Obtain the discrete time state and output equation and the pulse transfer function (when the sampling period $T = 1$) of the following

8

$$G(S) = \frac{Y(S)}{U(S)} = \frac{1}{S(S+2)}$$

- c Obtain the Controllable Canonical Form (CCF) of the given state space model by using transformation matrix.

8

$$\begin{bmatrix} x_1(k+1) \\ x_2(k+1) \end{bmatrix} = \begin{bmatrix} 5 & 3 \\ 2 & 1 \end{bmatrix} \begin{bmatrix} x_1(k) \\ x_2(k) \end{bmatrix} + \begin{bmatrix} 2 \\ 1 \end{bmatrix} u(k)$$

$$y(k) = \begin{bmatrix} 5 & 4 \end{bmatrix} \begin{bmatrix} x_1(k) \\ x_2(k) \end{bmatrix}$$

Q.no. Module 6 Marks

- 6.a Define Controllability and Observability for a linear time invariant discrete time control system?

4

Answer b or c

- b Derive Ackermanns formula for pole placement technique using state feedback for discrete time systems.

8

- c Consider the system $x(k+1) = Gx(k) + Hu(k)$ $y(k) = Cx(k)$ Where

8

$$G = \begin{bmatrix} 0 & -0.16 \\ 1 & -1 \end{bmatrix} \quad H = \begin{bmatrix} 0 \\ 1 \end{bmatrix} \quad C = [0 \quad 1]$$

Design a full order state observer, the desired eigen values of the observer matrix are $z = 0.5 + j0.5$, $z = 0.5 - j0.5$