APJ ABDUL KALAM TECHNOLOGICAL UNIVERSIT

08 PALAKKAD CLUSTER

6221-17Dec-1

(pages: 2)

Name: Reg No:

FIRST SEMESTER M.TECH. DEGREE EXAMINATION DEC 201

(POWER ELECTRONICS)

Subject ID: 08EE6221

Time:3 hours

SUBJECT NAME: SYSTEM DYNAMICS

Max. marks: 60

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Answer all six questions. Part 'a' of each question is compulsory.

Answer either part 'b' or part 'c' of each question

| Q.no. | Module 1 | Marks | | | | |
|---------------|--|-------|--|--|--|--|
| 1.a | Mention the properties of state transition matrices | 3 | | | | |
| | Answer b or c | | | | | |
| b | Obtain two different state model of the system represented by transfer functioni $\frac{C(s)}{R(s)} = \frac{10(s+4)}{s(s+1)(s+3)}$ | 6 | | | | |
| C | Obtain the time response of the system represented by state equation for unit step input | 6 | | | | |
| ii Ar | $\dot{x} = Ax(t) + Bu(t)$ | | | | | |
| | $\mathbf{y}(\mathbf{t}) = \mathbf{C}\mathbf{x}(\mathbf{t})$ | | | | | |
| ų. | where $A = \begin{bmatrix} -8 & 6 \\ -6 & 4 \end{bmatrix}$, $B = \begin{bmatrix} 4 \\ -6 \end{bmatrix}$, $C = \begin{bmatrix} 1 & -1 \end{bmatrix}$ and $x(0) = \begin{bmatrix} -1 \\ 0 \end{bmatrix}$ | | | | | |
| Q.no. | Module 2 | Marks | | | | |
| 2.a • | Obtain a state space representation of the following pulse transfer function in diagonal canonical form | 3 | | | | |
| | $\frac{Y(z)}{U(z)} = \frac{1+6z^{-1}+8z^{-2}}{1+4z^{-1}+3z^{-2}}$ | | | | | |
| Answer b or c | | | | | | |
| b | Explain discretization of continuous time system | 6 | | | | |
| C | Obtain the state transition matrix of the discrete system represented by state equation | 6 | | | | |
| | X(k+1) = Gx(k), where G = $\begin{bmatrix} 0 & 1 \\ -12 & 7 \end{bmatrix}$, | | | | | |

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| | Q.no. | | Marks | |
| | 3.a | Write and explain mathematical definition for stability | 3 | |
| | | Answer b or c | | |
| 6 | b | A non-linear system is described by the equations | 6 | |
| 100 - 100 - | | $\mathbf{x}_{1}^{*} = -\mathbf{x}_{1} - \mathbf{x}_{2}^{2}$ | | |
| | | $x_{2}^{*} = -x_{2}$ | | |
| | ha rd | By using variable gradient method, investigate the stability of the system | | |
| | | | | |
| | C | State and explain Lyapunov stability theorem for continuous time linear systems | 6 | |
| | | | | |
| 90 1 | Q.no. | Module 4 | Marks | |
| | 4.a | State and explain the concept of Controllability and Observability mentioning its | 3 | |
| | | physical significance | | |
| | | Answer b or c | | |
| | b | State and prove Controllability and Observability test for continuous time systems | 6 | |
| | c | Explain controllability concept based on canonical forms of state model | 6 | |
| | | Module 5 | | |
| | | en e | | |
| | Q.no. | | Marks | |
| | 5.a | Explain the effect of state feedback on controllability | 4 | |
| 1. ×1 | ÷., | Answer b or c | | |
| | b | Explain the design of full order Observer for Continuous time systems | 8 | |
| 20 DB | с | Derive Ackerman's formula for the pole placement using state feedback | 8 | • |
| | | | | |
| | Q.no. | Module 6 | Marks | |
| | 6.a | Explain the formulation of state regulator problem | 4 | |
| | | Answer b or c | | |
| | b | A system is represented by | 8 | |
| | | $\begin{array}{c} \bullet \\ X(t) = \begin{bmatrix} 0 & 1 \\ 0 & 0 \end{bmatrix}_{X(t)} + \begin{bmatrix} 0 \\ 1 \end{bmatrix}_{U(t)}.$ | | |
| | | If the cost function is $\int_0^{\infty} (x^2 + u^2) dt$ form the Riccati equation and solve to get the optimal control law. | | |
| | с | Illustrate with an example the design of Robust PID Controller system | 8 | |
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