## FIFTH SEMESTER B.TECH. (ENGINEERING) [ **EXAMINATION, NOVEMBER**

EC PTEC 09 502—QUANTITATIVE TECHNIQUES FOR MA

Time: Three Hours

## Part A

Answer all questions.

- State the difference between strategic and tactical decisions.
- Define Critical Path.
- 3. What is safety stock?
- 4. How the feasible solutions are reduced into basic feasible solution?
- State any two properties of Coefficient Matrix.

 $(5 \times 2 = 10 \text{ marks})$ 

## Part B

Answer any four questions.

- 6. Explain Network Flow Problems.
- 7. What is a PERT? Explain its construction with suitable example.
- Explain selective control techniques for Inventory.
- State and explain Duality principle.
- 10. Explain the degeneracy problem in transportation using Rim condition.
- Explain the algorithm of Charnes' M method of solving linear programming.

 $(4 \times 5 = 20 \text{ marks})$ 

## Part C

Answer the following questions.

12. (a) Explain Multistage decision making with suitable example.

Or

- (b) Discuss in detail about Bayesian Decision Theory.
- 13. (a) Discuss in detail about Inventory Control.

Or

(b) Discuss in detail about dynamic inventory models.

Turn over

THUMAXIMUM: 70 Marks

14. (a) A farmer has a piece of farm land, say L km², to be planted with either wheat or barley or some combination of the two. The farmer has a limited amount of fertilizer, F kilograms, and insecticide, P kilograms. Every square kilometer of wheat requires F₁ kilograms of fertilizer, and P₁ kilograms of insecticide, while every square kilometer of barley requires F₂ kilograms of fertilizer, and P₂ kilograms of insecticide. Let S₁ be the selling price of wheat per square kilometer, and S₂ be the selling price of barley. If we denote the area of land planted with wheat and barley by x₁ and x₂ respectively, then profit can be maximized by choosing optimal values for x₁ and x₂. Express this problem with the standard form of Linear Programming.

Or

(b) Minimize Z using Linear programming:

$$Z = -2x - 3y - 4z$$

Subject to:

$$3x + 2y + z \le 10$$

$$2x + 5y + 3z \ge 15$$

$$x, y, z \ge 0$$

With the addition of slack variables s and t,

15. (a) Calculate the coefficient of variation for the following information and interpret the results:

Factory	Average Weekly Wages	Standard Deviation	No. of Workers	
A	34.5	5	476	
В	24.5	4.5	524	

Or

(b)

	Warehouse 1	Warehouse 2	Warehouse 3	Supply
Bakery 1	3	6	7	2
Bakery 2	4	3	5	. 8
Bakerv 3	6	7	9	5
Supply	7	5	3 .	15

Find an optimal solution for maximum transportation, by:

- (i) Finding an initial solution.
- (ii) Testing for Optimality.
- (iii) Improving the solution if not optimal using stepping stone method.